

PROGRESS ON DIVERTOR HEAT LOAD ASSESSMENT

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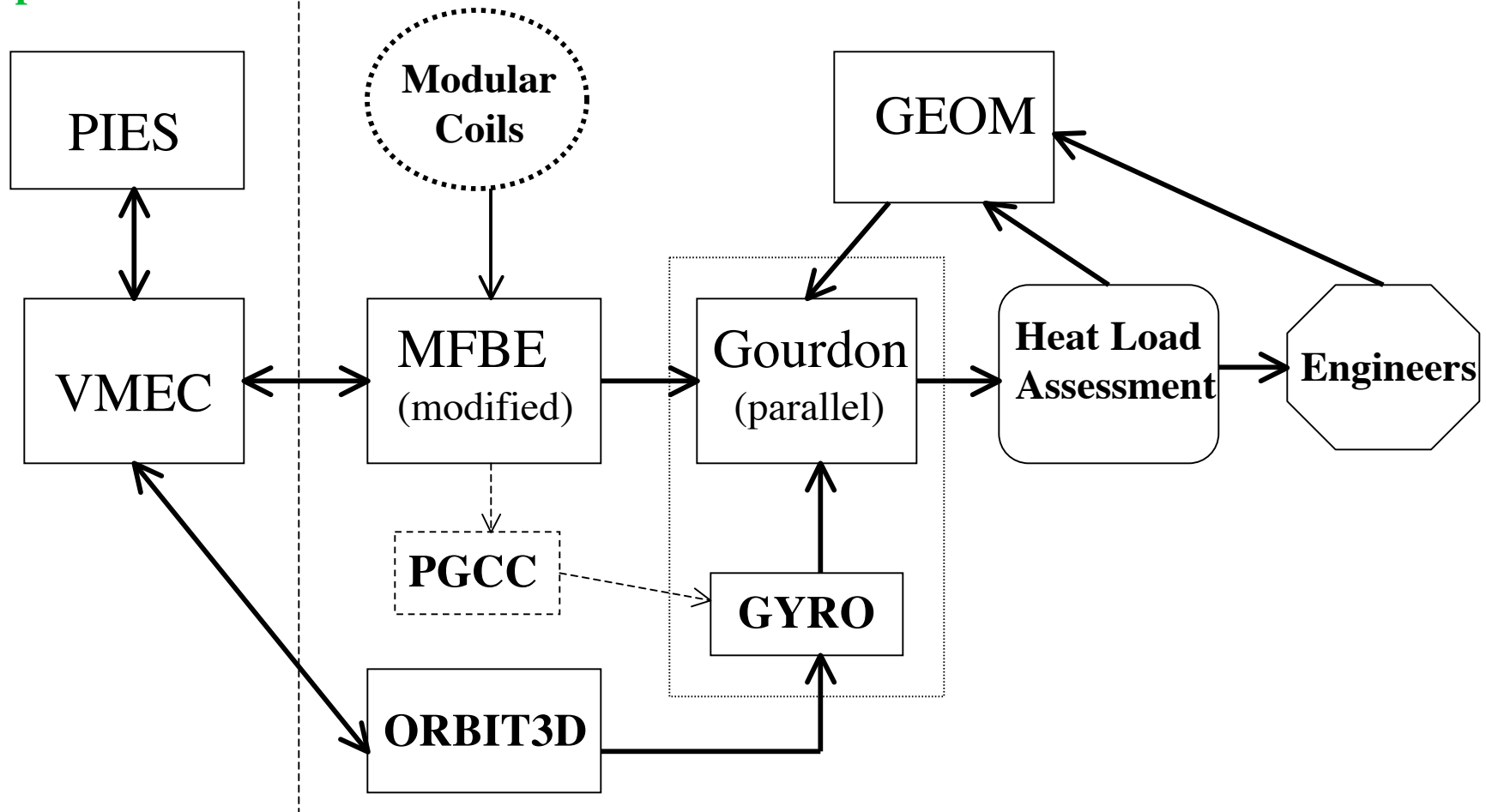
Divertor Assessment Objectives

- Develop divertor concept
- Locate divertor plates and other PFCs
- Evaluate heat load distribution (thermal & alphas)
- Optimize design to within physics and engineering limits

Divertor Assessment Strategy Flowchart

Configuration Optimization

Divertor Design

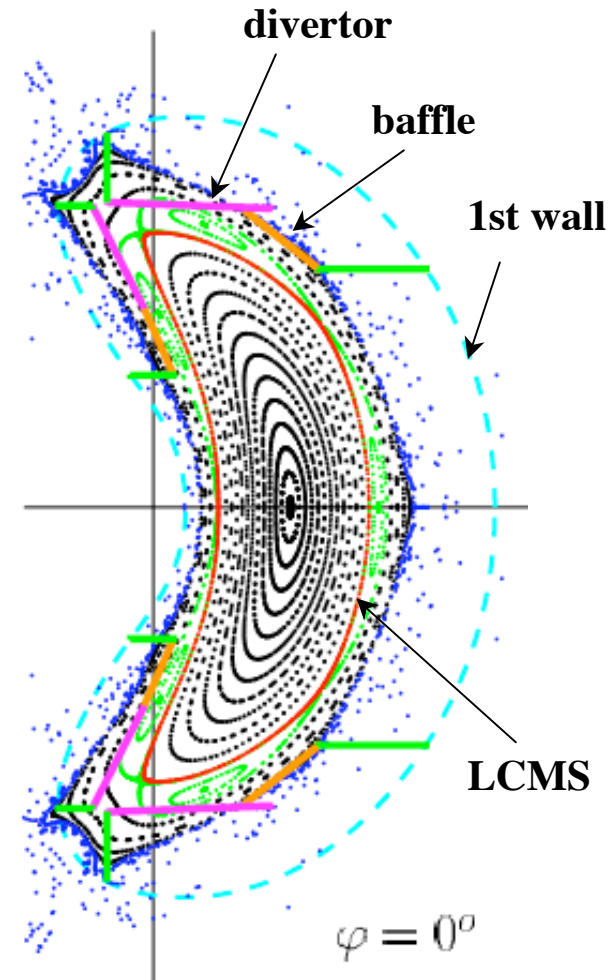


Status of Tasks for Divertor Design

- **Prerequisite:** Develop an acceptable CS equilibrium (devoid of resonant island structures inside the LCMS) and create free-boundary VMEC equilibrium.

[Ku, Garabedian, Mau] ✓✓ (achieved)

- Create 3D magnetic field table for inside and outside LCMS with MFBE; re-determine LCMS with Gourdon, and adjust toroidal flux until LCMS agrees with VMEC. [Grossman] ✓✓
- Initiate divertor plate locations with GEOM. [McGuinness] ✓ (making progress)
- Use GOURDON to trace field lines outside LCMS until they strike divertor plates. [McG]✓
- Calculate alpha particle exit points with ORBIT3D. [Mau] ✓
- Follow alpha gyro-orbits outside LCMS with GYRO-CS until reaching divertor. [Mau] ✓
- Evaluate thermal and alpha heat load distribution on plates. —> Algorithm/Post Processor
- Adjust plate locations and geometry until heat load limit is satisfied.



Divertor Heat Load due to Alphas

- To model the alpha heat load, the gyro-orbits of the energetic alphas should be taken into account, since $\rho_{c\alpha} \sim \rho_{sol}$; also of concern are local hot spots, and blistering of surface materials which depends on angle of incidence.

- Propose to add to Gourdon a direct solution to equation of motion for α 's

$$m_{\alpha} \frac{d\vec{v}_{\alpha}}{dt} = q_{\alpha} [\vec{v}_{\alpha} \times \vec{B}(\vec{r})]$$

in a 3D spatially varying magnetic field.

- We have created a stand-alone code, GYRO-CS, that solves the equation in cylindrical coordinates:

$$\begin{aligned} \frac{d\dot{r}}{dt} &= \frac{q}{m} (r\dot{\varphi}B_z - \dot{z}B_{\varphi}) + \frac{(r\dot{\varphi})^2}{r} \\ \frac{d(r\dot{\varphi})}{dt} &= \frac{q}{m} (\dot{z}B_r - \dot{r}B_z) - (r\dot{\varphi}) \frac{\dot{r}}{r} \\ \frac{d\dot{z}}{dt} &= \frac{q}{m} (\dot{r}B_{\varphi} - r\dot{\varphi}B_r) \end{aligned}$$

where $B = B(r, \varphi, z)$. A standard Runge-Kutta method of order h^4 is used.

Testing GYRO-CS on a Tokamak-like Magnetic Geometry

- GYRO-CS is first tested on an axisymmetric magnetic geometry to make sure it is correct results.

- Assume a tokamak with concentric, circular flux surfaces:

$$R_o = 5.0 \text{ m}, a = 2.25 \text{ m}, B_o = 3 \text{ T}, I_p = 2 \text{ MA}.$$

$$B_\perp = B_o R_o / R$$

$$j_\perp = j_o [1 - (r/a)^2]; \quad r^2 = Z^2 + (R - R_o)^2$$

$$B_\perp(r) = 0.4 I_p(\text{MA}) (r/a^2) [1 - 0.5 (r/a)^2]$$

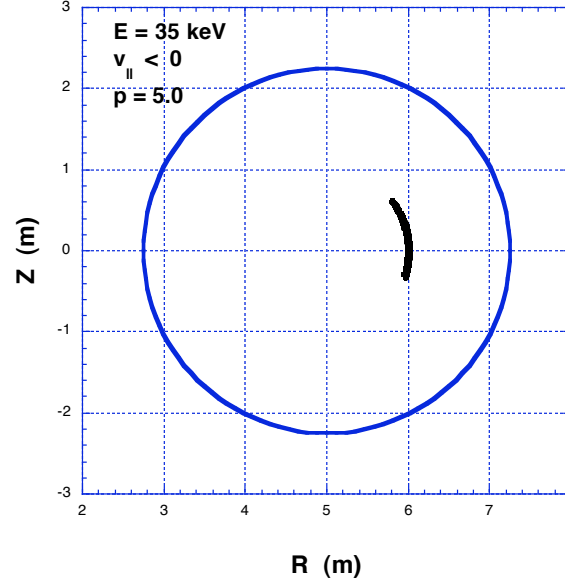
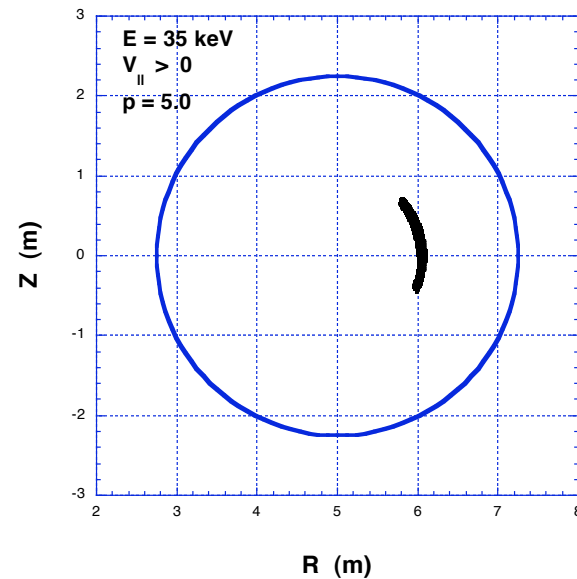
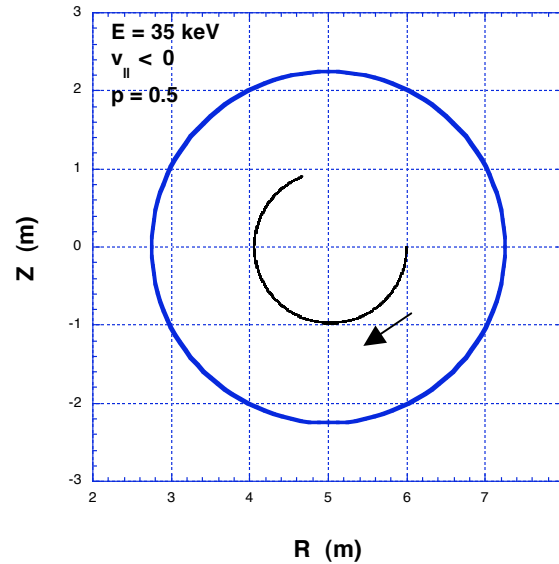
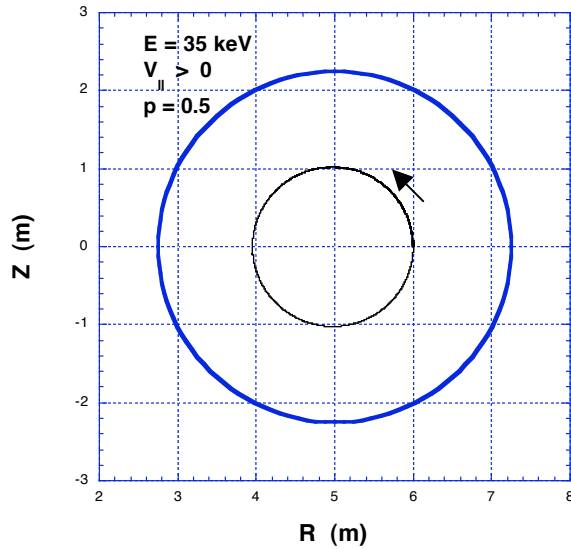
- Initial conditions:

particle energy E_o

velocity pitch $p = v_\perp / v_\parallel$

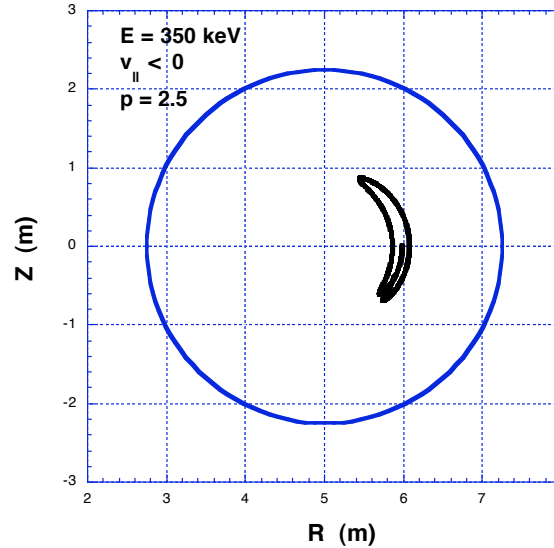
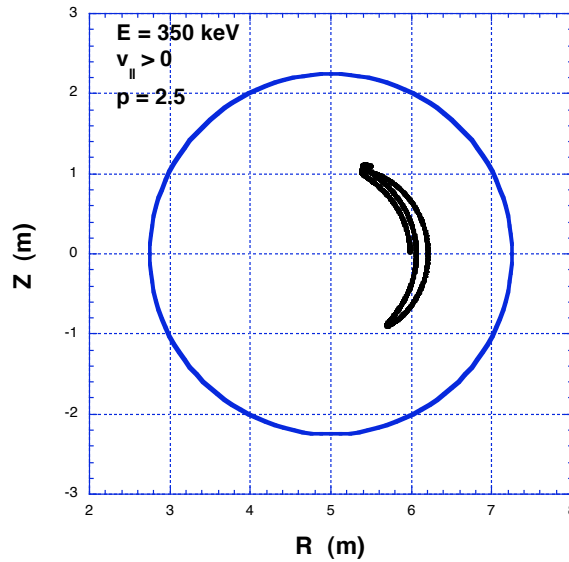
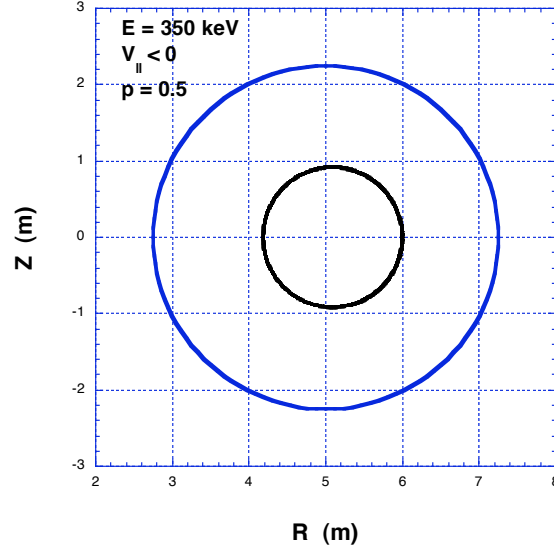
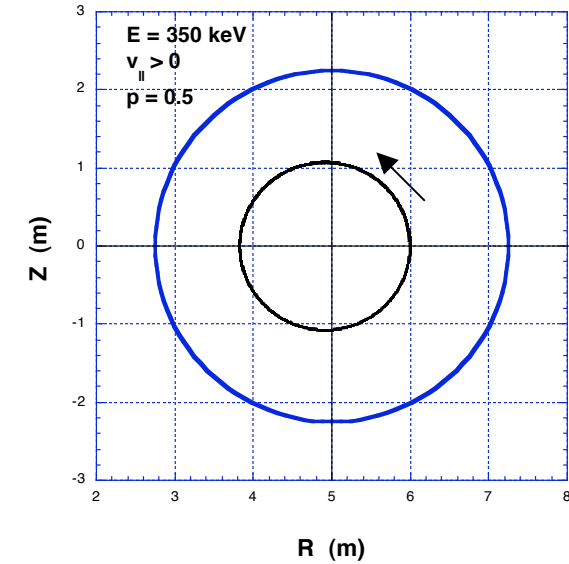
starting location $R = 6.0 \text{ m}, \varphi = 0., Z = 0 \text{ m}.$: OB midplane

Results for $\square$ Particles with $E = 0.035$ MeV



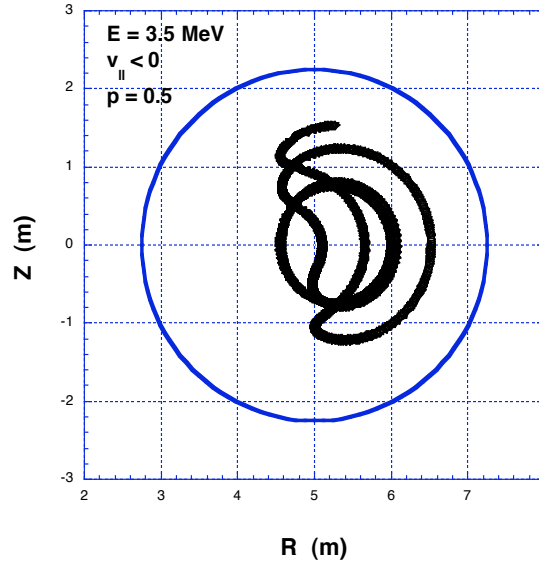
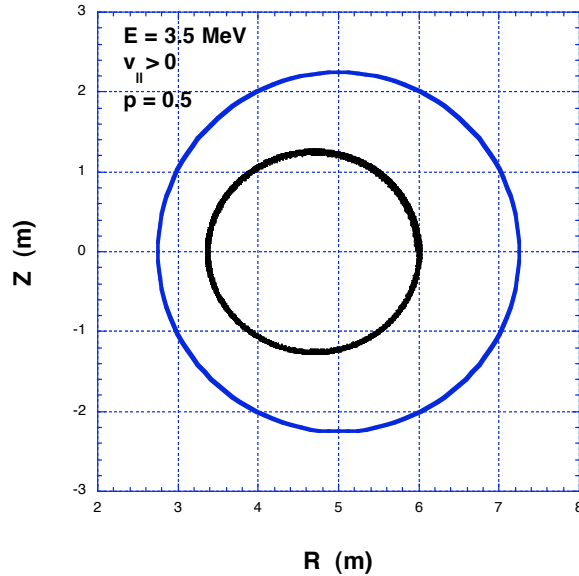
- passing particles with circular drift orbits coincident with flux surfaces
- trapped particle orbits observed at $p = 5.0$ with small banana width

Results for $\square$ Particles with $E = 0.35$ MeV

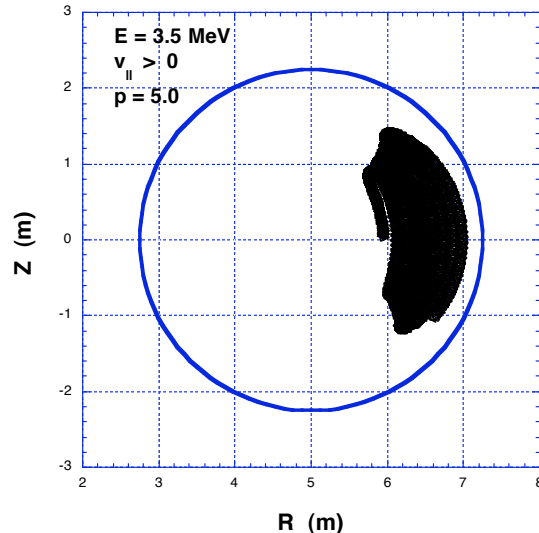
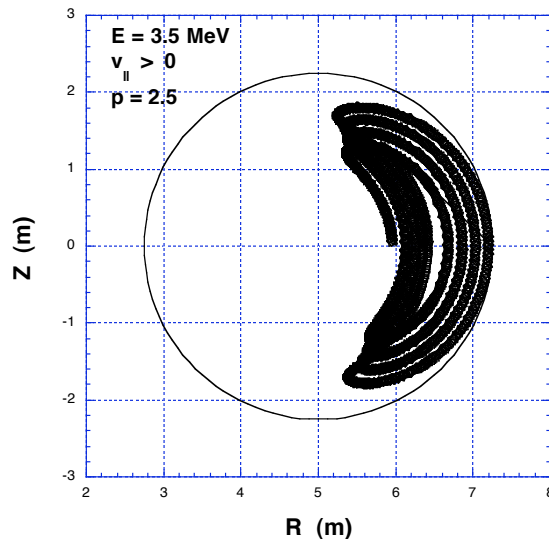


- Circulating orbits are displaced inwards for $v_{\parallel} > 0$ and outward for $v_{\parallel} < 0$.
- Trapped orbits have finite banana width.
- Gyro-orbits are visible from pictures.

Results for $\square$ Particles with $E = 3.5$ MeV



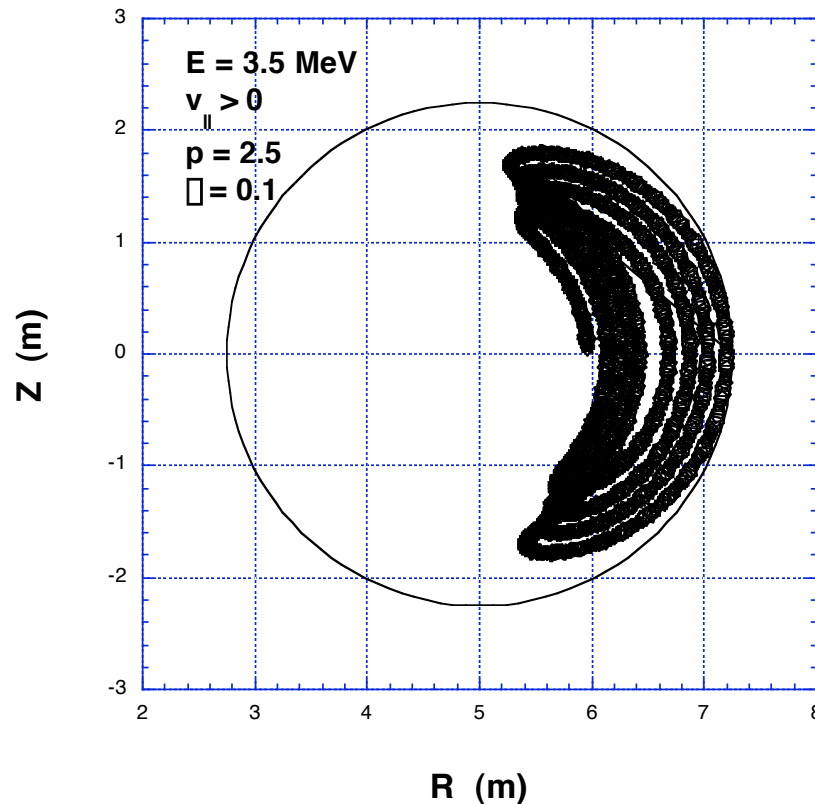
- Severe displacement of circulating orbits
- Large gyro-orbits are displayed. ($\rho_{\perp} \sim 10$ cm)
- Very fat banana orbits for $v_{\parallel} < 0$ and $p = 0.5$



- Trapped orbits drift radially outward.

Addition of a Moderate Non-Axisymmetry

- We add a small ripple field to the toroidal field component: $B_\theta \cos(N\varphi)$ where φ is ripple size and N is the number TF coils.
- This results in the gyro-orbit radius clearly being modulated along the particle trajectory.



Future Plans for GYRO-CS

- In a simple tokamak configuration, GYRO-CS reproduces particle orbits that are well known, indicating that GYRO-CS is working well.
- The code is now ready to be incorporated into the Gourdon code.
 - An algorithm will be developed to transition from drift orbits calculated either by ORBIT3D or PGCC, to full gyro-orbits using GYRO-CS at or near the LCMS.
 - The fast ion Monte-Carlo code, LOCUST, from Culham Laboratory has a similar feature.

Recent Progress and Future Tasks for Divertor Heat Load Assessment

- A 3D magnetic field table has been generated for the ARIES-CS 3-FP configuration using MFBE.

The corresponding table for a 2-FP case will be calculated.

- A gyro-orbit code in cylindrical coordinates, GYRO-CS, has been written and tested successfully with a tokamak magnetic topology.

This needs to be incorporated into GOURDON.

- The parallelized GOURDON code has been successfully compiled on SEABORG/NERSC, and closed flux surfaces and LMCS have been traced for the 3-FP case.

Field line tracing should be done from LCMS to divertor plates set up by GEOM.

- A post-processor code should be set up to compile the data from GOURDON to calculate the heat flux distribution on all intercepting plates. This can be a subroutine in GOURDON.
- A cross-field diffusion model should be incorporated into the parallelized GOURDON code.
- A fixed boundary VMEC capability has been added to UCSD with the help of Lang Lao, and a 2-FP VMEC equilibrium with imposed iota profile was generated. Interfacing to ORBIT3D code is on-going.